# (MPM-202) Optoelectronics and Optical Communication System



UNIT-I (Optical Process in Semiconductors)

Lecture-1

by

Prof. D. K. Dwivedi Physics and Material Science department Madan Mohan Malaviya University of Technology, Gorakhpur

#### MPC-202 OPTOELECTRONICS AND OPTICAL COMMUNICATION SYSTEM Credits 4 (3-1-0)

#### **UNIT I: Optical process in semiconductors**

Optoelectronic properties of semiconductor: effect of temperature and pressure on bandgap, carrier scattering phenomena, conductance processes in semiconductor, bulk and surface recombination phenomena, optical properties of semiconductor, EHP formation and recombination, absorption in semiconductors, effect of electric field on absorption.

#### UNIT II: Optical sources and detectors

An overview of optical sources (Semiconductor Laser and LEDs), Optical Detectors: Type of photo detectors, characteristics of photo detectors, noise in photo detectors, photo transistors and photo conductors.

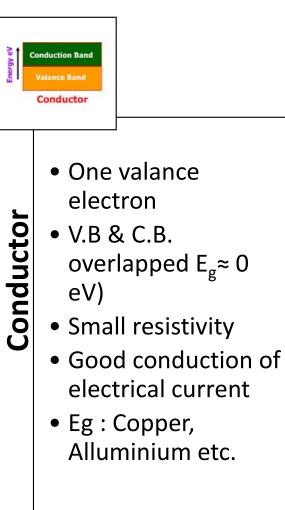
#### UNIT III: Optical fiber

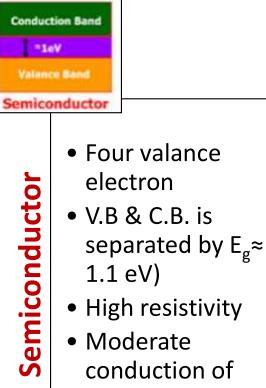
Structure of optical wave guide, light propagation in optical fiber, ray and wave theory, modes of optical fiber, step and graded index fibers, transmission characteristics of optical fibers, signal degradation in optical fibers; attenuation, dispersion and pulse broadening in different types of optical fibres.

#### UNIT IV: Fiber components and optoelectronic modulation

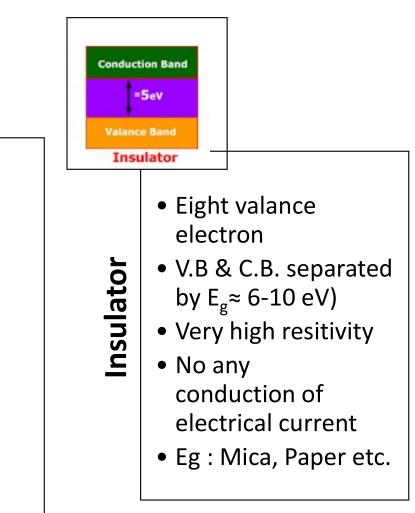
Fiber components: Fibre alignments and joint loss, fiber splices, fiber connectors, optical fiber communication, components of an optical fiber communication system, modulation formats, digital and analog optical communication systems, analysis and performance of optical receivers, optoelectronic modulation.

## Types of Material





- conduction of electrical current
- Eg : Silicon, Germanium etc.



#### Semiconductors

S

Φ

50

nta

Adval

Tunable conductivity

Miniaturization of electrical

components

Low power

consumption

Longer life

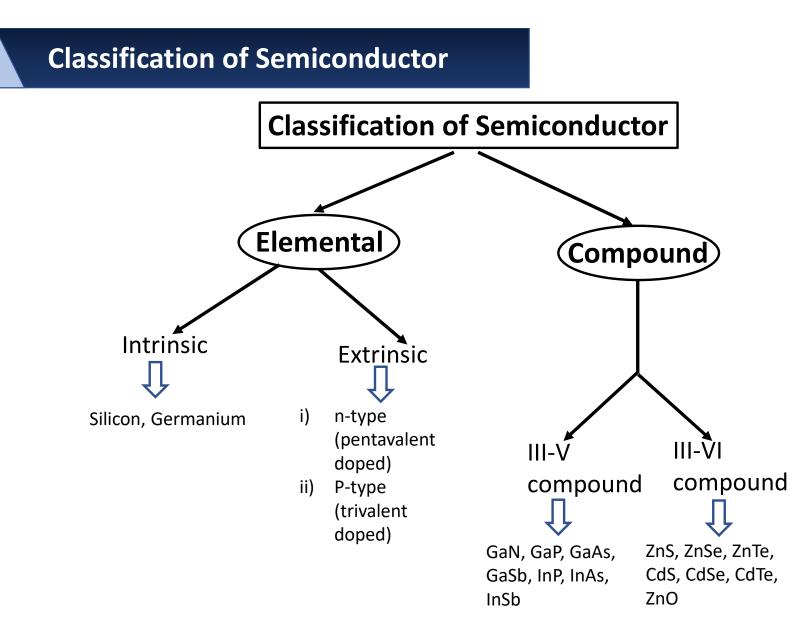
Used in 3D printing machines

Tunable bandgap

Sensing ability

Amplifier S LEDs Ò Solar Cell licati **Op-Amp** ICs Diodes  $\mathbf{O}$ Capacitor Transistors Resistor

Electrical switch Amplifier Logic device (CMOS logic) Memory devices LEDs Laser diode Solar Cell Photodetector Op-Amp ICs



### Why Compound Semiconductors?

- ✓ The elemental semiconductors, in particular Si, have been very useful for the development of microelectronics but they have some important drawbacks as follows-
- The fundamental band gap of these semiconductors is indirect.
- They emit light very poorly and their absorption coefficient are low.
- Silicon is technologically good but because of its small energy gap the conversion efficiency is low
- It became clear that Si, considered by many as a universal semiconductor material, cannot perform many important functions.
- For optoelectronic applications, in particular, it was natural to turn to other material.

### **Compound Semiconductors**

- ✓ The compound semiconductor materials offers many of the desired properties and could be synthesized without much difficulty.
- ✓ Compound semiconductors as the name suggest are made of elements of different columns of the periodic table. Examples are III-V, II-VI, IV-VI or IV-IV compounds.
- ✓ The compound semiconductor, represented by  $A_{III}B_V$  or  $C_{II}D_{VI}$ , has the same average number of valance electrons per atom as Si.
- ✓ Si has four valance electrons and in III-V or II-VI compounds, the sum of outer electrons is eight.

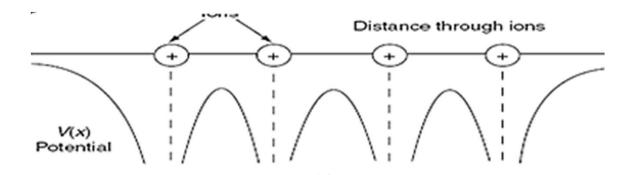
### **Electronic Properties of Semiconductors**

The models that are used to study the electronic properties of solids are-

| Free-electron Model  | <b>One-electron Model</b>  | Kronig-Penney Model  |  |
|--|--|--|--|
| <ul> <li>Explains conduction and related phenomena in metals.</li> <li>In this model, the nearly free valance electrons are shared by all the atoms in the solid. Thus, there is a "sea" of free electrons swimming around and these electron see a nearly constant</li> </ul> | <ul> <li>More successful in explaining the electronic properties of semiconductors.</li> <li>In this model, it is assumed that the conduction electron obeying Pauli exclusion principle is not</li> </ul> | <ul> <li>It overcomes the limitations of the free electron model.</li> <li>It is the quantum-mechanical interaction of an electron with the periodic potential of the lattice that gives rise to the band theory of solids.</li> </ul> |  |
| <ul> <li>smeared-out potential.</li> <li>It can't explain phenomena in covalently bonded solids such as semiconductors.</li> </ul>   |  | <ul> <li>Satisfying Fault's exclusive principle, separated by forbidden energy regions.</li> <li>The concept of a hole, effective mass of carriers and conduction properties also arise from the band theory.</li> </ul>               |  |

### **Origin of E-k Diagram**

Most of the semiconductors are crystalline and in the crystalline semiconductors the atoms are periodically arranged in the lattice.



- > The periodical arrangement leads to the periodical potential energy variation.
- $\succ$  But the motion of electron in a system is governed by the laws of quantum mechanics.
- For the one electron one proton system like hydrogen it is very easy to solve Schrodinger wave equation but for many electron system it is quite complicated.

#### **Origin of E-k diagram**

- > F. Bloch observed that since the potential vary periodically so the probability of finding the electron  $(|\Psi|^2)$  should also vary periodically.
- $\succ$  Which implies wave function ( $\Psi$ ) should vary periodically where ' $\Psi$ ' is wave function.
- So the wave function is given by a product of plane wave  $(e^{i\vec{k}\cdot\vec{r}})$  multiplied by a periodic function  $(u_k(r))$  which is called the cell function.

$$\Psi_k(r) = \mathbf{u}_k(r)e^{i\vec{k}\cdot\vec{r}}$$

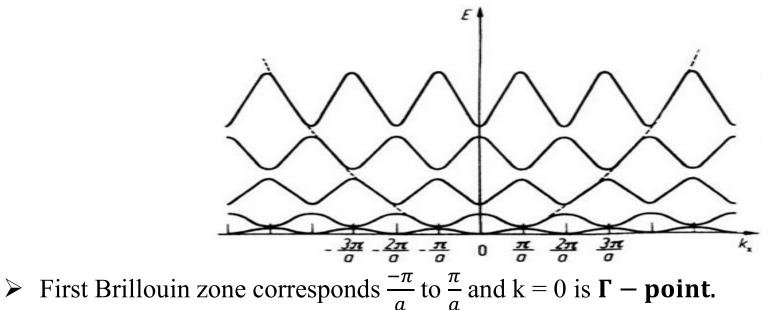
where 
$$u_k(r+a) = u_k(r)$$

 $\succ$  Substituting the value of above wave function ( $\Psi$ ) in

$$\nabla^2(\Psi) + \frac{2m}{\hbar^2}(E - V)\Psi = 0$$

### **Origin of E-k diagram**

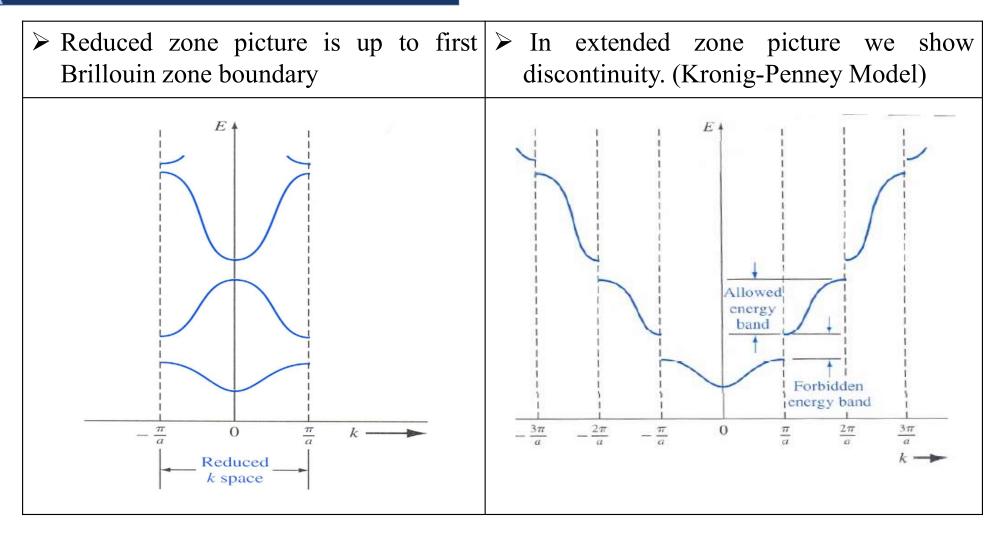
> After solving we get that the energy Eigen value E is also periodic in wave vector k.



> There are three pictures of E-k diagram-

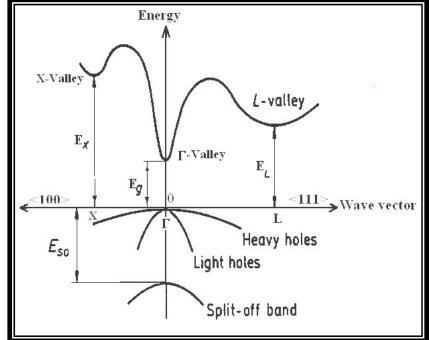
- 1. Periodic Zone Picture (as shown above)
- 2. Reduced Zone Picture
- 3. Extended Zone Picture

### **Origin of E-k diagram**



#### E-k diagram

- $\succ$  In this course we can easily work with the reduced zone picture of E-k diagram.
- > More precisely just by focusing the maxima of valance band and minima of conduction band.
- $\succ$  From the figure we observe that
- k=0 corresponds to Γ point i.e. centre of the Brillouin zone.
- There are two possible directions from Γ point i.e.
- *I.*  $\Gamma$  to L which is < 111 > direction
- *II.*  $\Gamma$  to X which is < 100 > direction
- All the energies below the valance band maxima and above the conduction band minima are allowed energies and in between there is a gap which is known as band gap.



#### E-k diagram

- > The visible energy range (400-800 nm) corresponds to energy range of 1.5-3 eV.
- At room temperature (RT) kT=29 meV so at room temperature and for band gap 1.5-3 eV, 29 meV energy is sufficient enough to cause to jump this band gap.
- $\succ$  The band gap of various semiconductors at RT and atT=0 K has been tabulated below-

| Temperature | Si      | Ge      | GaAs    | CdTe    | GaP     |
|-------------|---------|---------|---------|---------|---------|
| RT          | 1.1 eV  | 0.67 eV | 1.43 eV | 1.49 eV | 2.26 eV |
| 0 К         | 1.17 eV | 0.74 eV | 1.5 eV  | 1.61 eV | 2.32 eV |

➢ In Silicon at 0 K, the conduction band is completely filled and valance band is completely empty so it does not conduct at 0 K.

